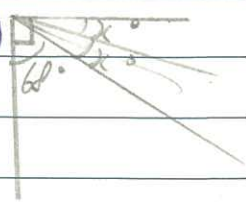


## Review Set 2A (H&H) (2/2)

1a) complement of  $41^\circ$   
 $= 90^\circ - 41^\circ$   
 $= 49^\circ$

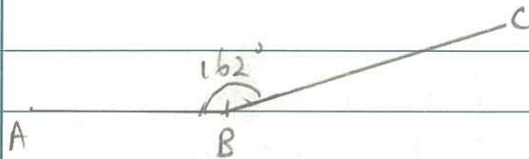


3b)  $x + x + 68 = 90$  (comp.  $\angle$ s)  
 $2x = 90 - 68$   
 $2x = 22$   
 $x = 11$

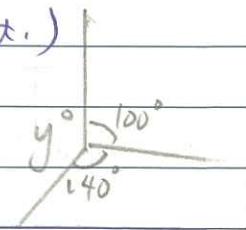


b) One revolution  
 $= 360^\circ$

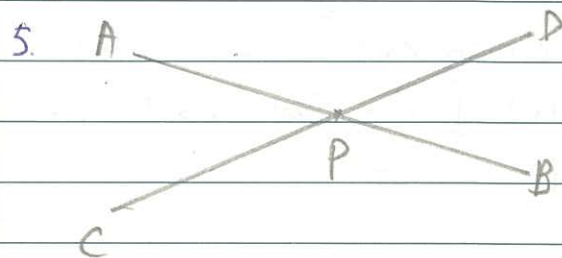
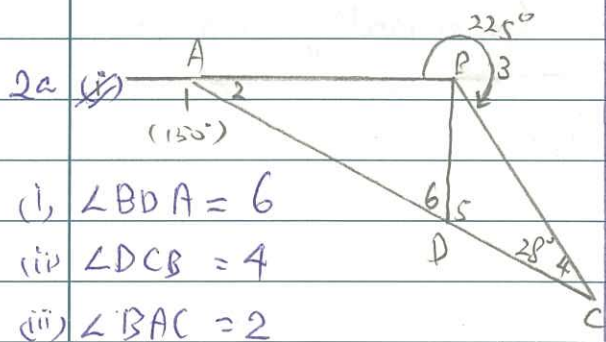
c)  $\angle ABC = 162^\circ$



3c)  $y + 100 + 140 = 360$  ( $\angle$ s at a pt.)  
 $y = 360 - 240$   
 $y = 120$



4 at least 2 points are needed to determine the position of a line



[AB] and [CD] intersect at P

- b (i) 3 is reflex angle ( $225^\circ$ )  
(ii) 1 is obtuse angle ( $150^\circ$ )  
(iii) 4 is acute angle ( $28^\circ$ )

3a)



$n + 119 = 180$  ( $\angle$ s on st. line)

$n = 180 - 119$

$n = 61$  (\*note: these should not be units")

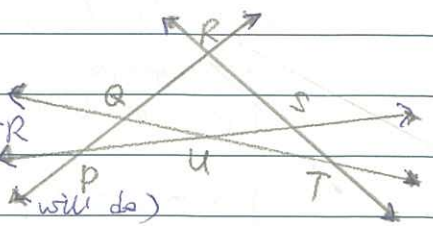
n only represent numbers, since  $^\circ$  have been given in the drawing)

6a) RS

is the same line as

RT/SR/ST/TS/TR

(any 2 of the above will do)



b) any two of

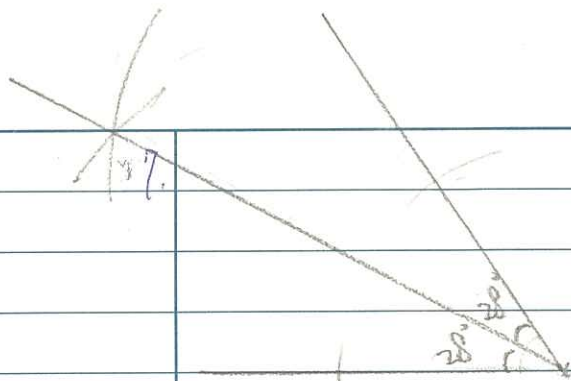
PQ, PU, PR, PS, QR, US, RP, UP, RP, SP, RQ, SU

c) (i) PQR are collinear (on a st. line)

(ii) PQ and RS intersect at R.

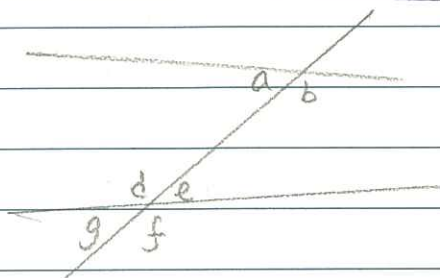
# H&H Review Set 2A

(continue)



\* don't erase the construction lines

8.



- a) a and g are corresponding
- b) a and e are alternate
- c) b and e are co-interior
- d) d is vertically opposite to f

9a)

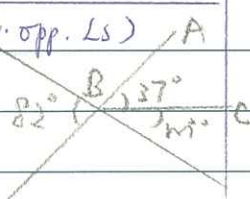


$m = 46$  (vert. opp.  $\angle$ s)  
(vertically opposite angles)

b)  $m = 116$  (corr.  $\angle$ s,  $\parallel$ s)  
(corresponding angles of parallel lines)

c)  $m + 61 = 180$  (co-interior  $\angle$ s,  $\parallel$ s)  
 $m = 180 - 61$   
 $m = 119$

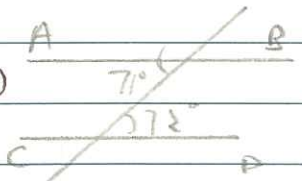
d)  $m + 37 = 82$  (vert. opp.  $\angle$ s)  
 $m = 82 - 37$   
 $m = 45$



10.a)  $71^\circ \neq 72^\circ$

AB is not parallel to CD

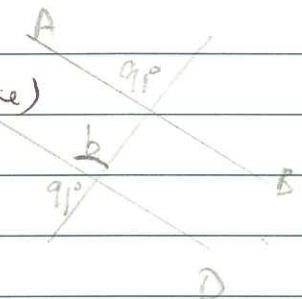
because their alternate angles are not the same.



b)  $b + 91 = 180$

( $\angle$ s on st. line)

$b = 89$

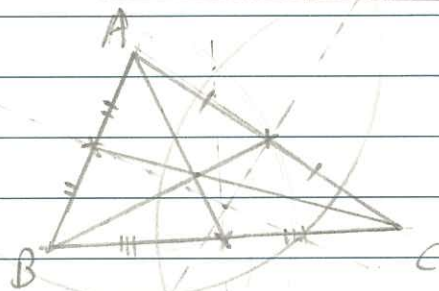


$\therefore b \neq 91$

$\therefore$  AB is not parallel to CD

(corresponding angles are not equal)

11.a)



b) The three medians are coincide /  
the three medians meet at the same point

12.  $15^\circ = 30 \div 2$

$30^\circ = 60 \div 2$

I will start drawing an equilateral triangle to get  $60^\circ$  and then bisect the angle 2 times -

